# Ion-acoustic double-layers in magnetized nonthermal plasmas

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### Introduction

#### It is well known that laboratory and space plasmas can contain distinct populations of

## **Basic equations**

We consider a homogeneous magnetized electron-ion plasma with two electron populations: a hot component, and a cold one. The ion-acoustic wave propagates in the *x* direction, making an angle  $\theta$  to the direction of the magnetic field (assumed to be in the *x*-*z* plane). Following Ref.[8], the fluid equations are used to describe the dynamics of the cold ions. For the normalized electron density we have

# **Preliminary results**

It is easy to observe that the magnetic field  $\Omega$  only affects the amplitude and the thickness of the DL. The same can be said about the angle  $\theta$  (this model is valid only for  $0 < \theta < \pi/2$ ). It is also observed that the DLs described by our model only exist for large values of  $\delta$  and  $\tau$ . For  $\delta$ =0.9 and  $\tau$ =12 the DLs are observed only for the Maxwellian case ( $\kappa$ =500). As  $\tau$  increases the DLs are observed for smaller values of  $\kappa$ . Therefore, we can say that, for a set of parameters ( $\Omega$ ,  $\theta$ ,  $\delta$ ,  $\tau$ ), electron nonthermality seems to destroy the doublelayers. The figure below shows the form of the DL for  $\Omega$ =1,  $\theta$ =0.1,  $\delta$ =0.9,  $\tau$ =18,  $\psi$ =0.05 and different values of  $\kappa$  ( $\kappa$ =3 - red,  $\kappa$ =5 – blue,  $\kappa$ =500 – green). Further analysis and comparison with previous works are still to be done.

hot and cold electrons. In two-electron plasmas, electron-acoustic waves (EAWs) with wave frequency larger than the ion plasma frequency can be generated [1]. In a classical paper of 1978, Bezzerides *et al.* [2] investigate the nonlinear regime and analyze the existence of rarefaction waves and shocks in a two-electron temperature isothermal plasma. The study of rarefaction waves (and shocks) is important for a variety of problems in plasma physics, including the investigation of the current-free double layers [3].

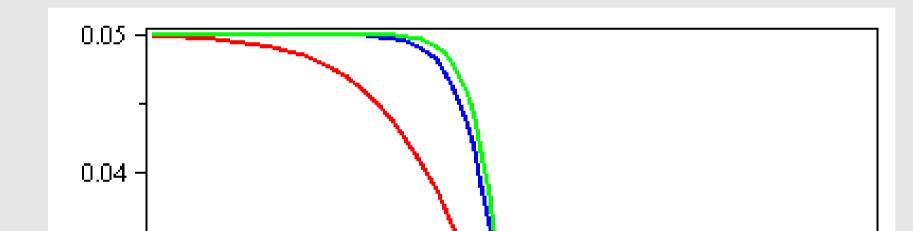
A double layer (DL) consists of a positive/negative Debye sheath, connecting two quasineutral regions of a plasma. These nonlinear structures can be found in a variety of plasmas, from discharge tubes to space plasmas. A DL may be regarded as a BGK equilibrium, for which certain conditions must be fulfilled. The best known of these structures is the strong Langmuir DL, which is characterized by a large electric current across the DL. The current-free double layer (CFDL) constitutes a different group, for which there is no trapped ion population. In the present work the socalled ion-acoustic double-layers (IADLs) are investigated. It is worth to mention that in general the plasma distributions near a DL are strongly non-Maxwellian [4], with long tails observed in some cases [5].

 $n_e = n_c + n_h = (1 - \delta)e^{\phi \tau} + \delta [1 - \phi/(\kappa - 3/2)]^{-(\kappa - 1/2)}$ 

where  $\delta = N_{h0}/N_0$  and  $\tau = T_h/T_c$ . Transforming the coordinates by a Galilean transformation  $\xi = x - Mt$  (*M* is the velocity of the moving frame) and assuming a quasineutral  $(n_e \approx n_i)$ condition, we obtain the DL solution

 $\phi(\xi) = \psi/2 [1 - \tanh(\alpha \xi)]$ 

with



As mentioned before, here we investigate the IADLs in a magnetized twoelectron plasma. It is believed that the IADLs are responsible for the acceleration of electrons in the auroral region [6]. The cold and hot electrons are modeled by the Maxwellian and  $\kappa$  distributions, respectively. The reduced form of the  $\kappa$ distribution is equivalent to the distribution function obtained from the maximization of the Tsallis entropy, the q distribution [7], with the parameter  $\kappa$  measuring the deviation from the Maxwellian equilibrium. Here some preliminary results are presented, and the influence of the energetic electrons on the behavior and existence of the DLs is discussed.

#### $\alpha = \Omega / |\sin \theta| (B_3 / 8)^{1/2} \psi.$

and

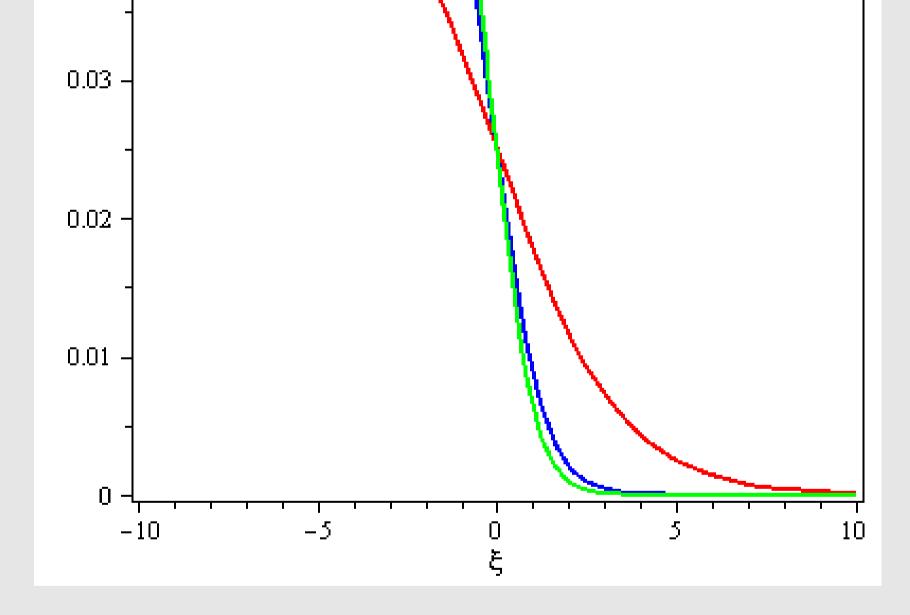
 $B_3 = A_3 - (4A_2/3 + A_1^2/2)\cos^2\theta/M^2$ 

 $A_3 = (1-\delta)\tau^3/6 + \delta(\kappa - 1/2)(\kappa + 1/2)(\kappa + 3/2)/6(\kappa - 3/2)^3$ 

 $A_2 = (1 - \delta)\tau^2 / 2 + \delta(\kappa - 1/2)(\kappa + 1/2) / 2(\kappa - 3/2)^2$ 

 $A_1 = (1 - \delta)\tau + \delta(\kappa - 1/2)/(\kappa - 3/2).$ 

To obtain the solution above we considered only small values of the potential  $\phi$  and also some specific boundary conditions. All the equations are normalized and  $\psi$  is the maximum amplitude of the DL. The velocity of the DL is given by



#### References

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 $M = \cos\theta / A_1^{1/2} (1 + 1/6A_1 | 3A_1^2 / 2 - A_2 | \psi).$ 

Since the DL exists only for  $B_3 > 0$ , we must have

 $M^2/\cos^2\theta > (4A_2/3 + A_1^2/2)/A_3.$ 

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